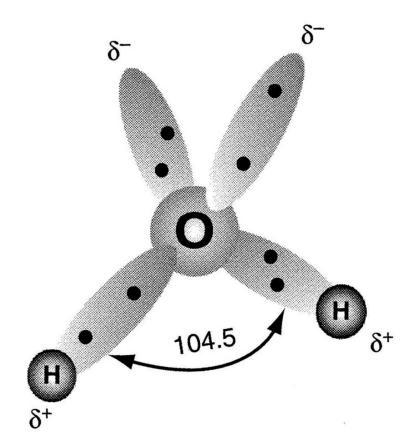
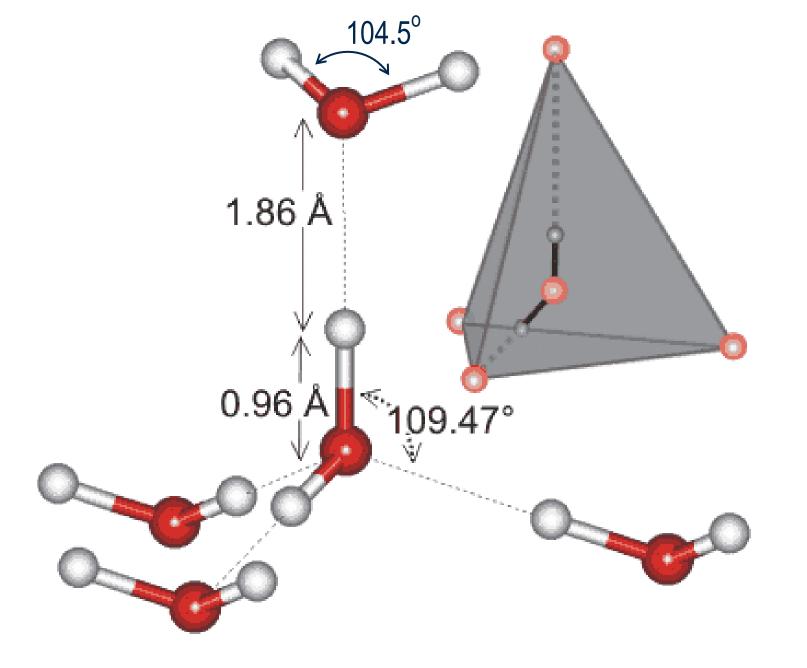
Chemical Oceanography 2022 Dr. David K. Ryan Department of Chemistry University of Massachusetts Lowell & Intercampus of Marine Sciences Program

http://faculty.uml.edu/David_Ryan/84.653

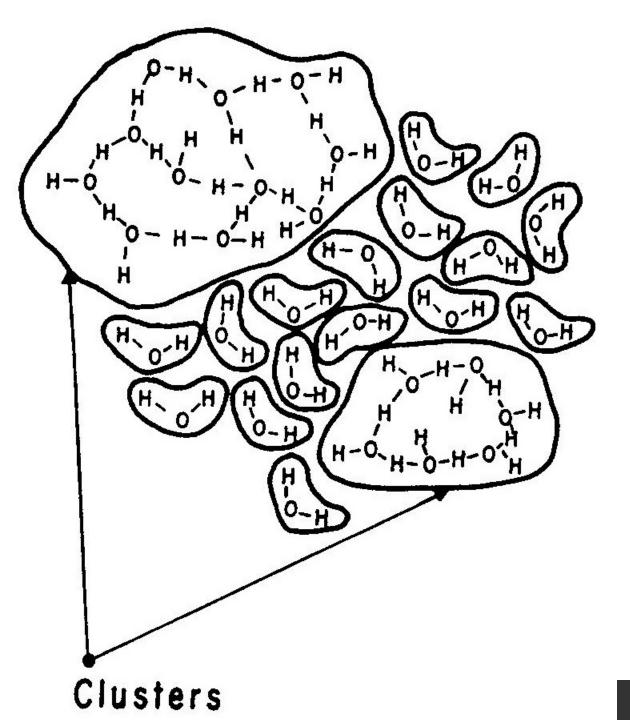


Water Quadrapole





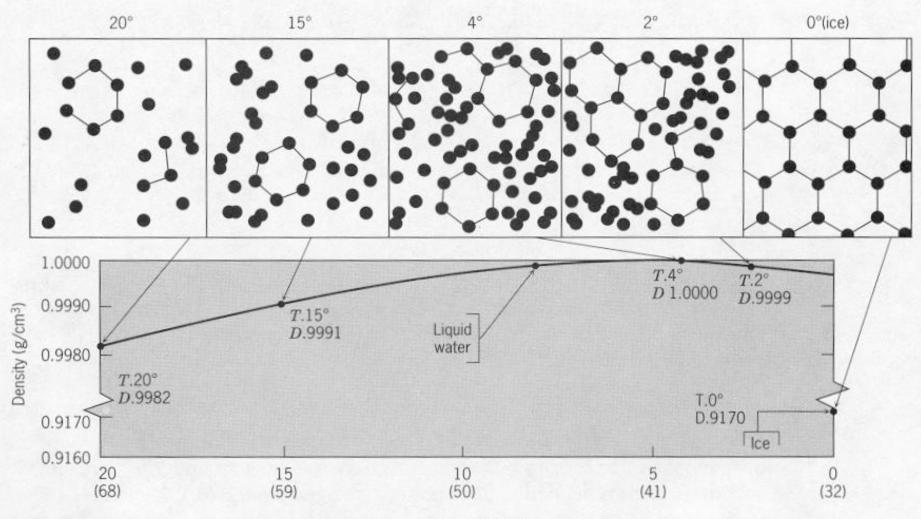
Arrangement for Hydrogen Bonding - Pentamer



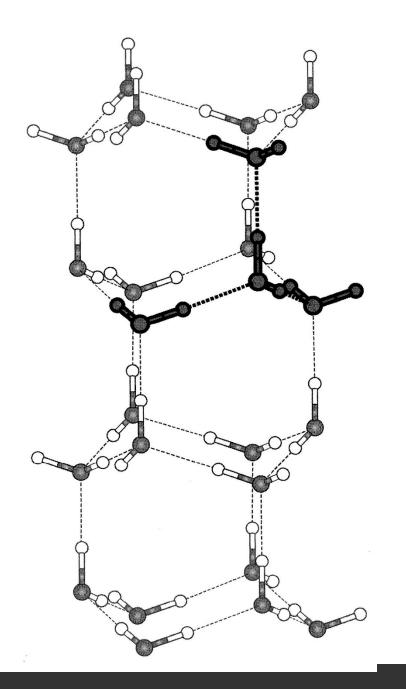
Water Clusters Dynamically Form, Break and Re-form

(Millero 2006)

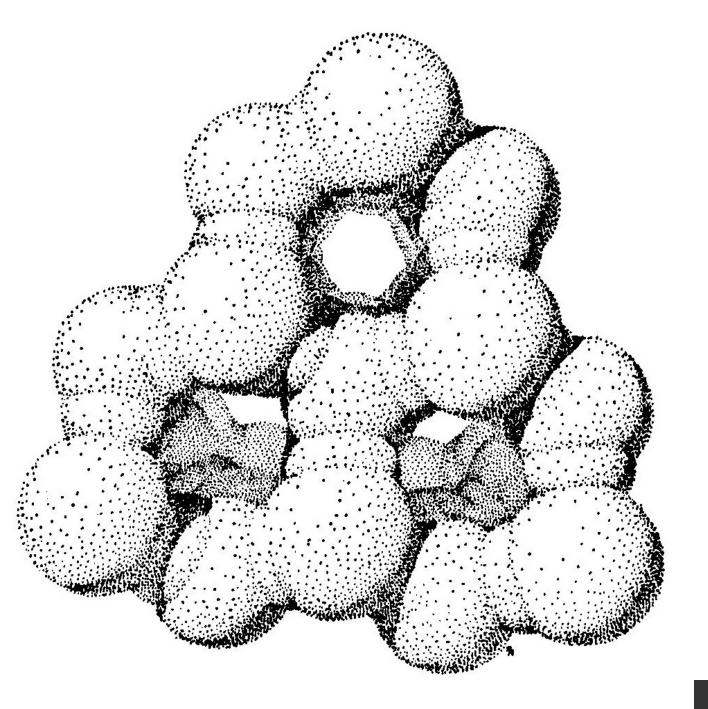
Structure or Association of Water Nolecules Versus Temperature and Affect on Density (Libes 1992)



Temperature °C



Structure of Ice 1h with water pentamer highlighted (Emerson & Hedges Fig 3.4, page 67)



Structure of Ice 1h, Hexagonal with Space Giving Low Density

(Pilson 1998)

Solutes (Particularly Ions) are Structure Breakers

More accurately they form new structures **#** Reorient some water molecules **T** Cause new associations **#** Modify properties **#** Alter much of the Physical Chem. (Physicochemical Properties)

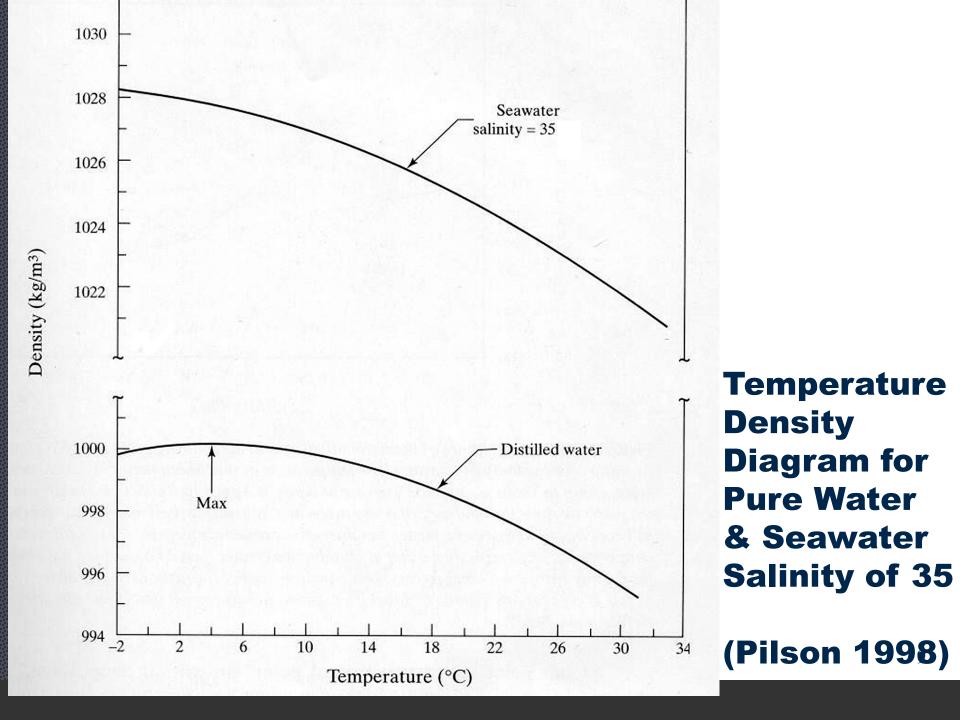


TABLE 2.2

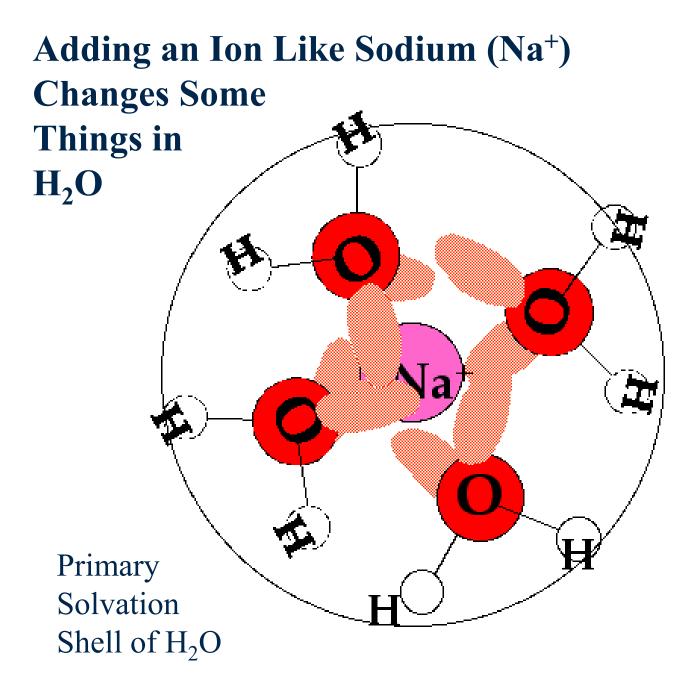
Comparison of Pure Water and Seawater Properties

Property	Seawater, 35‰ S	Pure Water
Density, g/cm ³ , 25°C	1.02412	1.0029
Equivalent conductivity, 25°C, cm ² ohm ⁻¹ equiv ⁻¹		
Specific conductivity, 25°C, ohm ⁻¹ cm ⁻¹	0.0532	
Viscosity, 25°C, millipoise	9.02	8.90
Vapor pressure, mm Hg at 20°C	17.4	17.34
Isothermal compressibility, 0°C, unit vol/atm	46.4×10^{-6}	50.3×10^{-6}
Temperature of maximum density, °C	-3.52	+ 3.98
Freezing point, °C	-1.91	0.00
Surface tension, 25°C, dyne/cm	72.74	71.97
Velocity of sound, 0°C, m/s	1450	1407
Specific heat, 17.5°C, J g ^{-1°} C ⁻¹	3.898	4.182

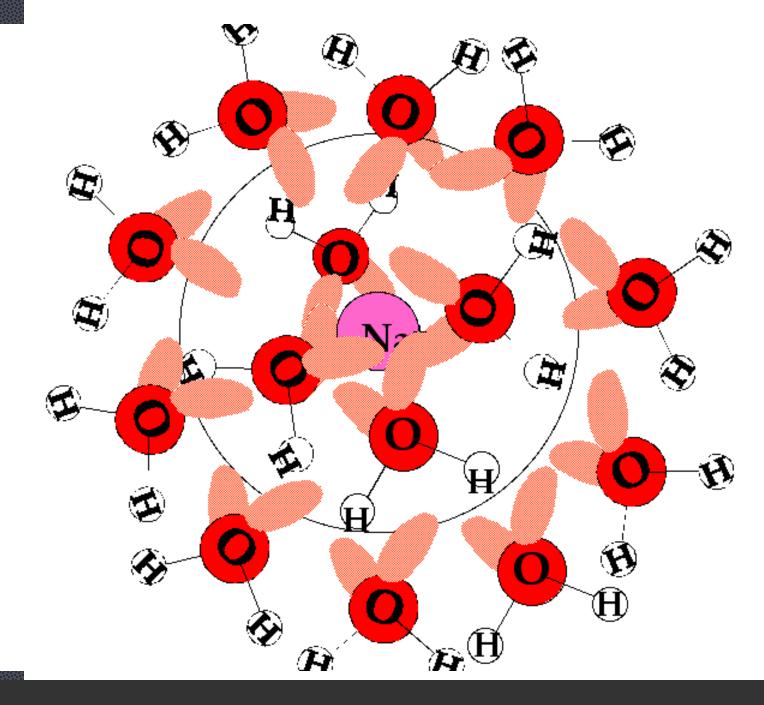
Source: From Marine Chemistry, R. A. Horne, copyright © 1969 by John Wiley & Sons, Inc., New York, p. 57. Reprinted with permission.

Some Properties Undergo Dramatic Changes

10

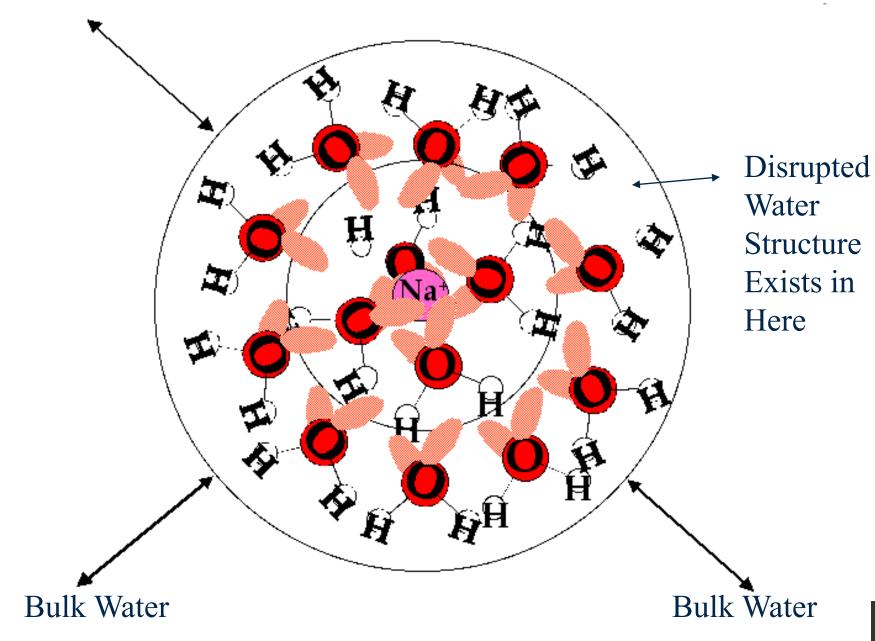


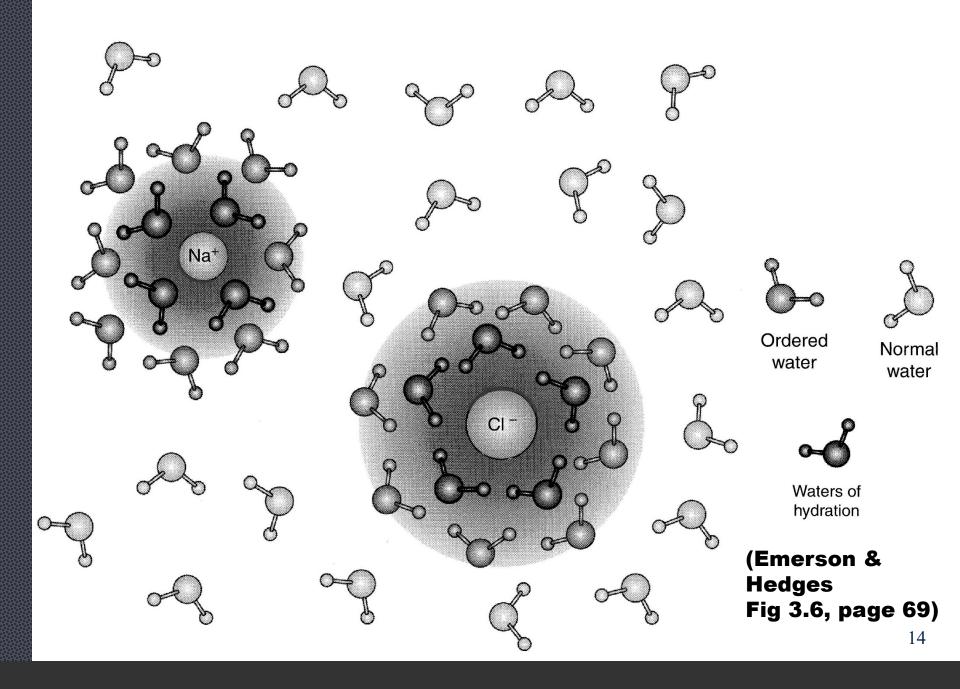
Polarity, High Dielectric Constant Result in Strong Solvation or Hydration of Na⁺ by H₂O

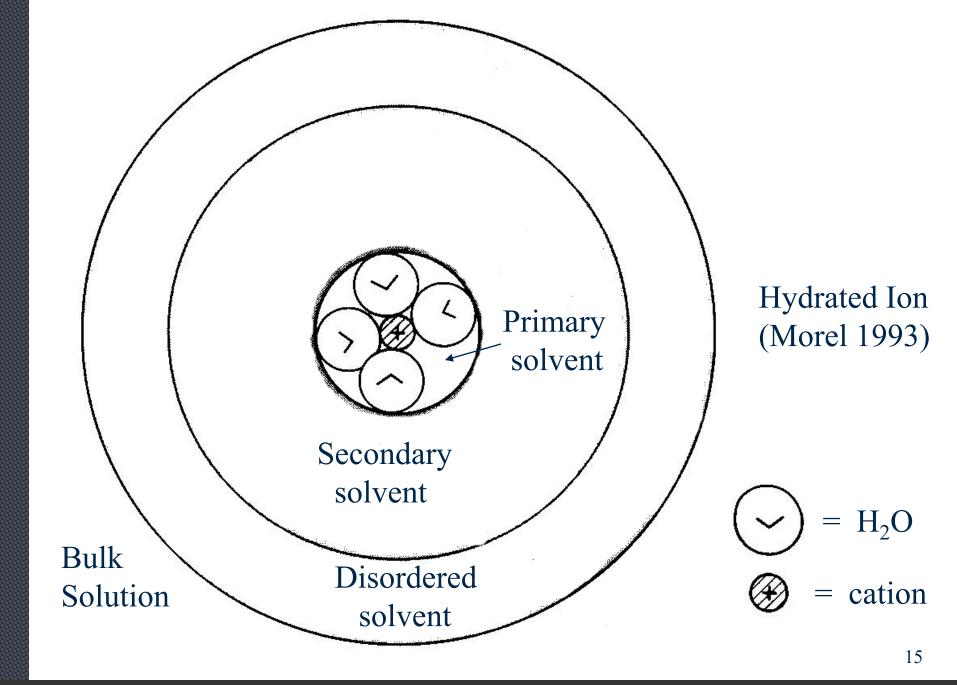


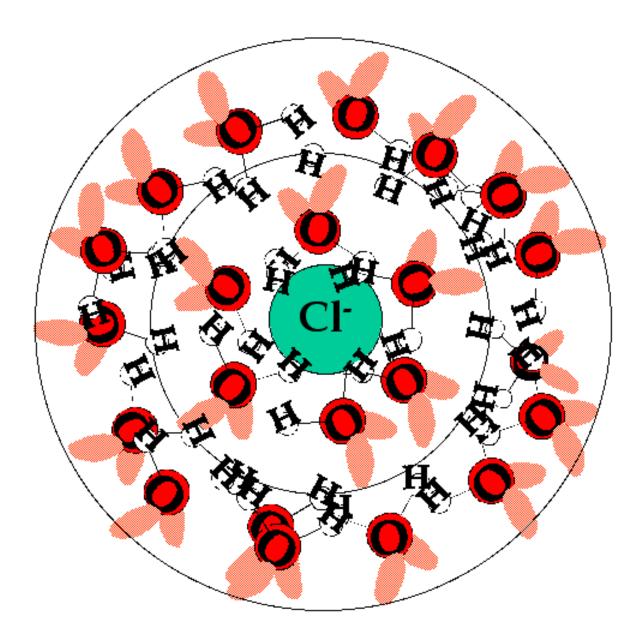
Secondary Solvation Shell or a Second Sphere of H_2O is Bound to the First

Normal H₂O Structure Exists Out Here for "Bulk" Water

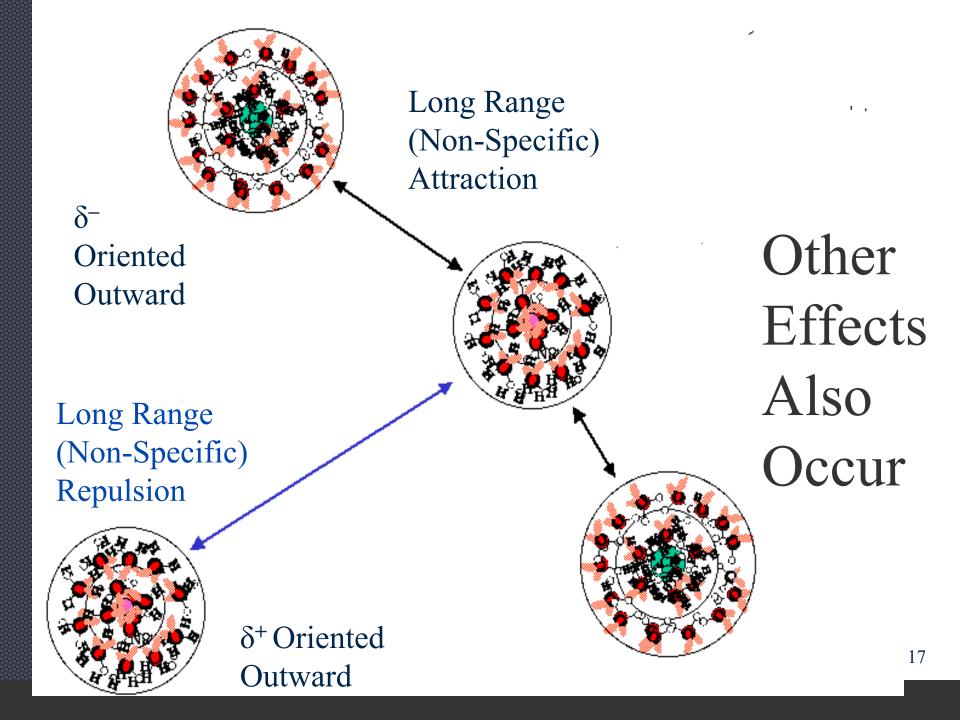








For Anions the Concept is Analogous Only Reversed With Respect to the Orientation of the H_2O

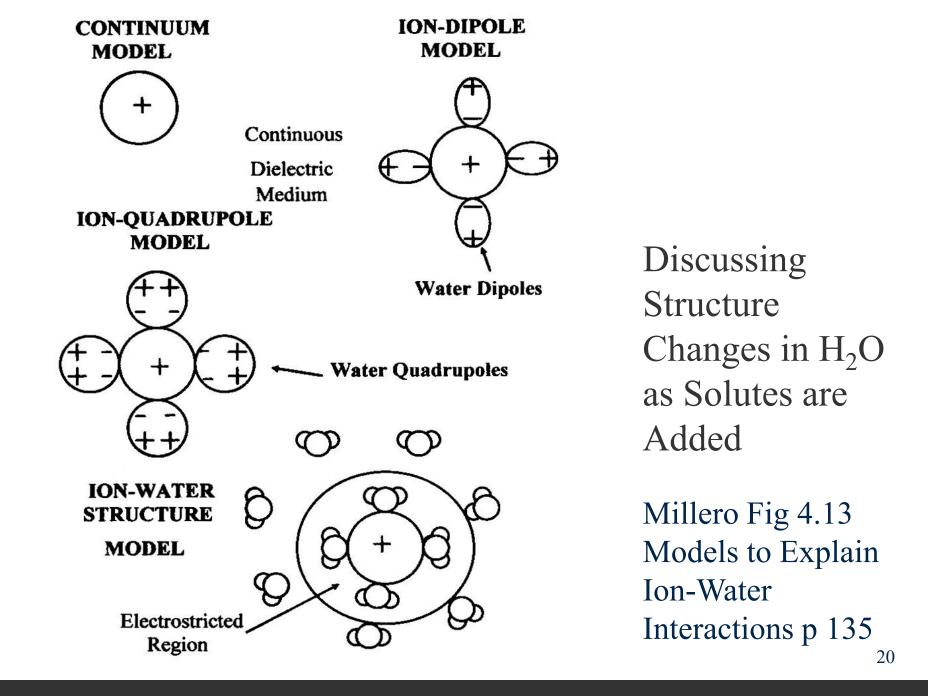


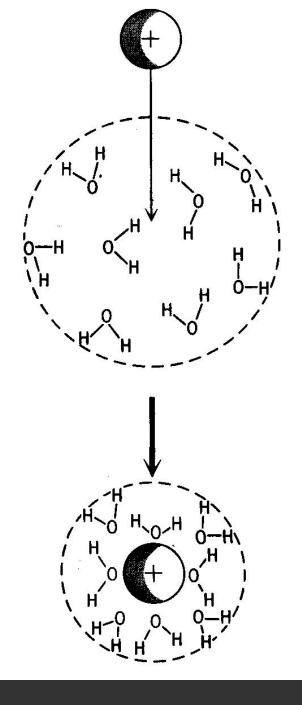
Concentration Units

- Salts & other solutes dissolved in water must be specified with respect to their concentration
 Oceanographers generally agree on proper units
 However you will still see every possible unit under the sun being used
 ppm, ppb, ppt, M, mM, μM, nM, mg/L, μg/L,
 - ng/L, pg/L, nmol/kg

Important Points (see handout posted for last class)

- **#** Use SI units whenever possible
- Chemical Oceanographers should use mol/kg with a prefix due to compressibility
- You must know whether the unit refers to solvent alone or solution as a whole (i.e., molarity vs. molality; ppm as mg/L or mg/kg)



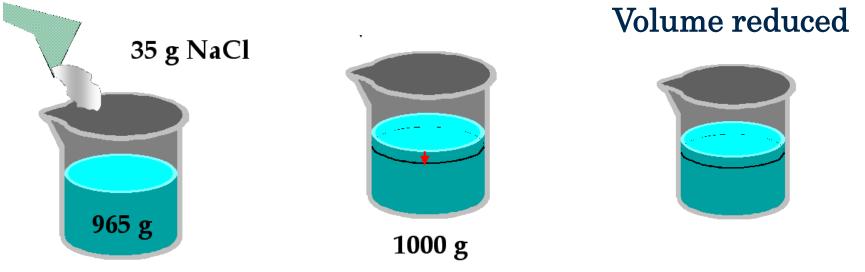


Electrostriction occurs as an ion orients or reorders water molecules causing them to be arranged tightly around the charge center

Libes (1992)

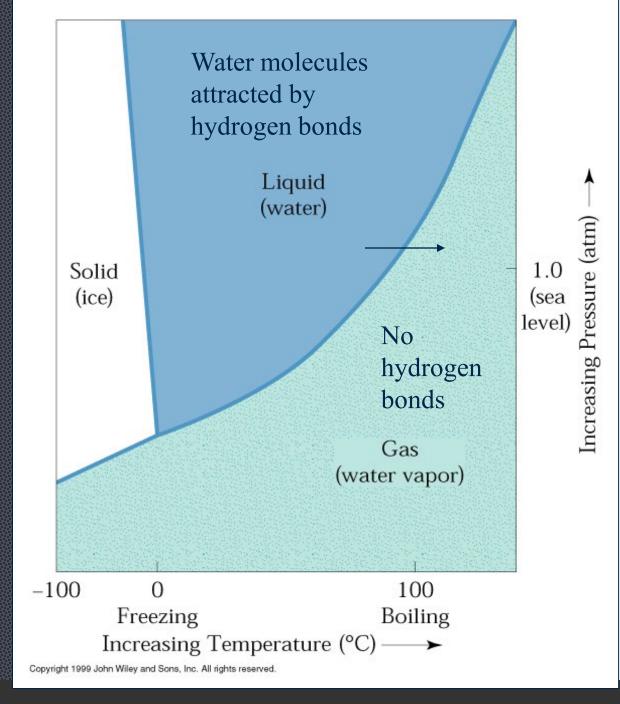
Electrostriction

- occurs when adding salt to H_2O
- **#** Add 35 g of NaCl to 965 g $H_2O = 1000g$ total
- **\blacksquare** Density NaCl 2.165 g/cm³; H₂O 0.997 g/cm³
- **\blacksquare** Volumes = 16.2 cm³ + 967.9 cm³ = 984.1 cm³
- **\blacksquare** Actual Volume = 977.3 cm³



Colligative Properties

- Physicochemical Properties that vary with number of species in solution not their chemical nature
- **#** Vapor Pressure Lowering
- **\blacksquare** Boiling Point Elevation (ΔT_b)
- **\ddagger** Freezing Point Depression (ΔT_f)
- **\blacksquare** Osmotic Pressure (π)



Explanation of Colligative Properties Based on Changes in Phase Equilibria

Simple Phase Diagram of Water (Wiley 1999)

Vapor Pressure Lowering

Magnitude of vapor pressure (v.p.) lowering can be expressed in terms of solute mole fraction

 $\Delta P/P^{o} = X \quad \text{where } X = \text{mole fraction (i.e.,} \\ \text{ratio of moles} \\ \text{solute to total moles} \\ P^{o} = v.p. \text{ of pure solvent} \\ \Delta P = \text{change in v.p.} \qquad 25$

Boiling Point Elevation

Boiling point (b.p.) of solution changes

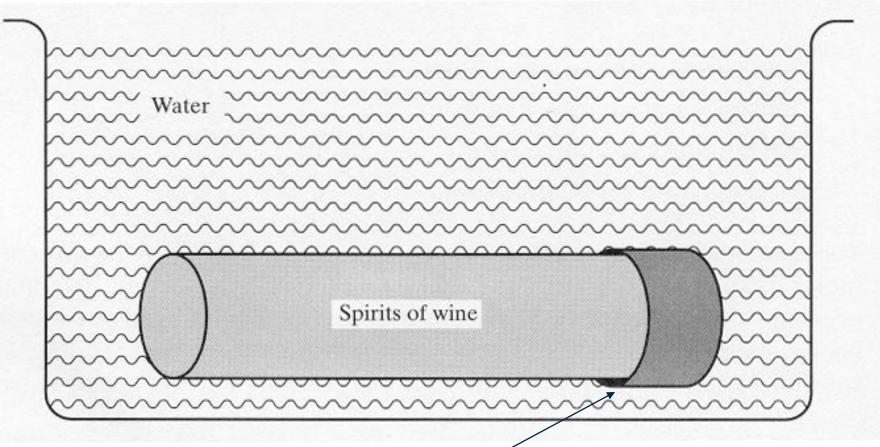
 $\Delta T_{b} = v K_{b} m \quad \text{where } m = \text{molality}$ $K_{b} = \text{constant for solvent}$ $0.512 \text{ °C/m for } H_{2}O$ $\text{Ions/molecule} \longrightarrow v = \text{van't Hoff factor}$ $\Delta T_{b} = \text{change in b.p.}$

Freezing Point Depression

Freezing point (m.p.) of solution changes

 $\Delta T_{f} = -v K_{f} m \quad \text{where } m = \text{molality}$ $K_{f} = \text{constant for solvent}$ $1.86 = ^{\circ}C/m \text{ for } H_{2}O$ v = van't Hoff factor $\Delta T_{f} = \text{change in m.p.}$

Osmotic Pressure (π)



Nollet (1748) used pig bladder membrane (Pilson, 1998)

Osmotic Pressure (π)

From the Gas Law (PV = nRT)

 $\pi \mathbf{V} = \mathbf{v} \mathbf{R} \mathbf{T}$ where T = absolute temp. R = gas constant v = van't Hoff factor V = volume π = osmotic pressure

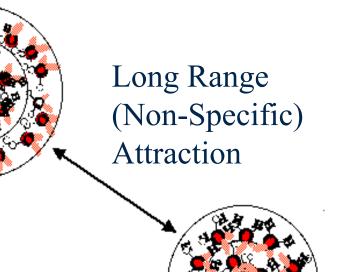
Important Properties

- Electrostriction influences density, water structure & mobility of ions in solution
- **#** It also results in pressure effects for solubility
- Freezing Point Depression lowers freezing point of natural waters especially seawater
- **#** Vapor Pressure Lowering reduces evaporation
- Osmotic Pressure strongly influences diffusion across biological membranes

Ion-Ion Interactions

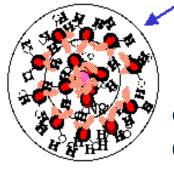
- Many types non-specific, bonding, contact, solvent shared, solvent separated
- Non-specific i.e., long range interactions and the concepts of ionic strength, activity & activity coefficient
- Specific interactions e.g. complexation, ion
 pairing (strong or weak)
- **#** Millero cartoons

http://fig.cox.miami.edu/~lfarmer/MSC215/MSC215.HTM



Long Range (Non-Specific) Repulsion Non-specific Interactions electrostatic in nature & limit effectiveness of the ion

· .



δ-

Oriented

Outward

 δ + Oriented Outward

Non-specific Interaction

- **#** Electrostatic in nature
- **#** Limits effectiveness of ion in solution
- Use concept of activity to quantify effect
- (activity = effective concentration, accounts for non-ideal behavior)
 - $\mathbf{a_i} = [\mathbf{i}]_F \gamma_F(\mathbf{i})$ where $\mathbf{a_i} = \text{activity of ion i}$
 - $[i]_F = \text{free ion conc. (m)}$ $\gamma_F(i) = \text{activity coefficient}$

of ion i

In short $\mathbf{a} = [\mathbf{i}] \gamma$

Activity of Individual Ion Influenced by Other Ions

Ionic Strength of solution

 $\mathbf{I} = \mathbf{0.5} \ \mathbf{\Sigma} \ \mathbf{Z}^2 \ \mathbf{m}$

where I = ionic strength
Z = charge on ion
m = molal conc.
(molarity or molinity
 can also be used)

$$\mathbf{a} = [\mathbf{i}] \boldsymbol{\gamma}$$

Debye-Huckel Theory is starting point

(Primarily for very low ionic strength)

$$\ln \gamma \pm = -A Z^2 I^{0.5} \qquad \text{original D.H.}$$
or
$$\ln \gamma \pm = -S_f I^{0.5} / (1 + A_f a I^{0.5}) \qquad \text{extended}$$

Where γ± is the mean ion activity coefficient
S_f, A & A_f are constants related to temperature
I is ionic strength & a is the ion size parameter in Å
Z is the charge on the ion

Guntelberg Approximation

$$\ln \gamma \pm = - A Z^2 [I^{0.5}/(1 + I^{0.5})]$$

Where $\gamma \pm$ is the mean ion activity coefficient A is a constant I is ionic strength Z is the charge on the ion Useful for $I \ge 0.1$

Davies Equation

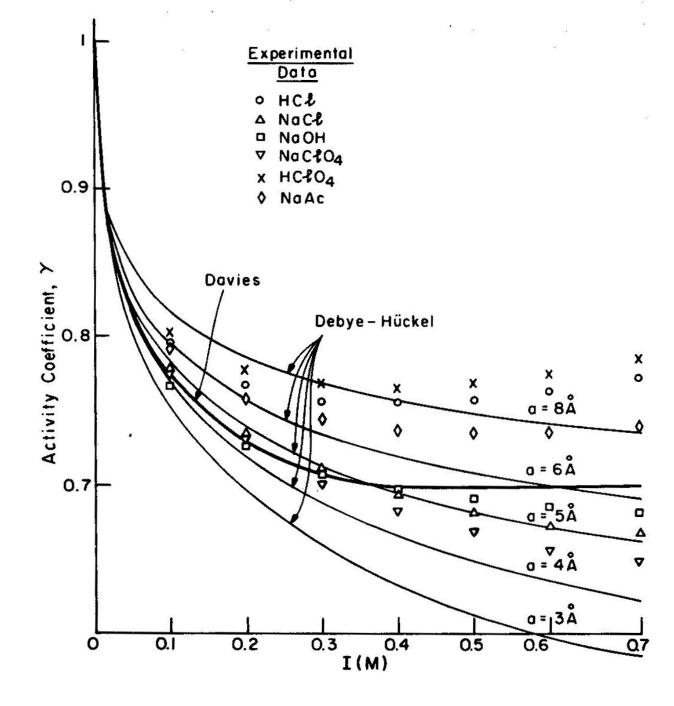
$$\ln \gamma \pm = - A Z^2 [I^{0.5}/(1 + I^{0.5}) - 0.2 I]$$

Where $\gamma \pm$ is the mean ion activity coefficient A is a constant (= 1.17) I is ionic strength Z is the charge on the ion Useful for $I \sim 0.5$

#Bronsted-Guggenheim

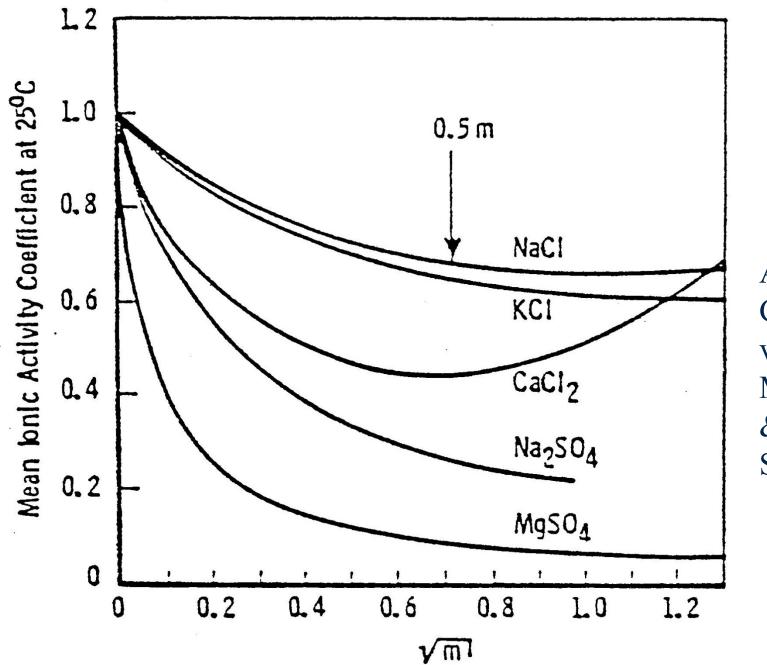
$$\ln \gamma \pm = \ln \gamma_{DH} + \sum_{j} B_{ij}[j] + \sum_{j} \sum_{k} C_{ijk}[j][k] + \dots$$

Where $\gamma \pm$ is the mean ion activity coefficient γ_{DH} is the γ from Debye-Huckel B_{ij} is a virial coefficient for ion pairs C_{ijk} is a virial coefficient for three ions Useful at any I



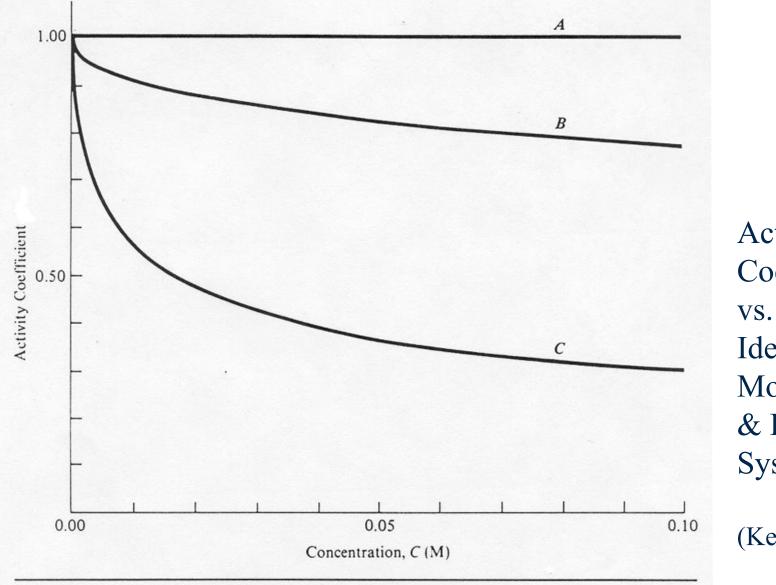
Comparison of Davies Equation & Extended Debye-Huckel for monovalent Ions

Morel & Hering 1993



Activity Coefficient vs. Conc., Monovalent & Divalent Systems

40



Activity Coefficient vs. Conc., Ideal, Monovalent & Divalent Systems

(Kennedy 1990)

FIGURE 4-2 Activity coefficient as a function of concentration in the solution: (A) ideal solution for which $\gamma = 1.00$ at all concentrations: (B) activity coefficient for Na⁺ in NaCl solutions; (C) activity coefficient for Ca²⁺ in CaCl₂ solution.

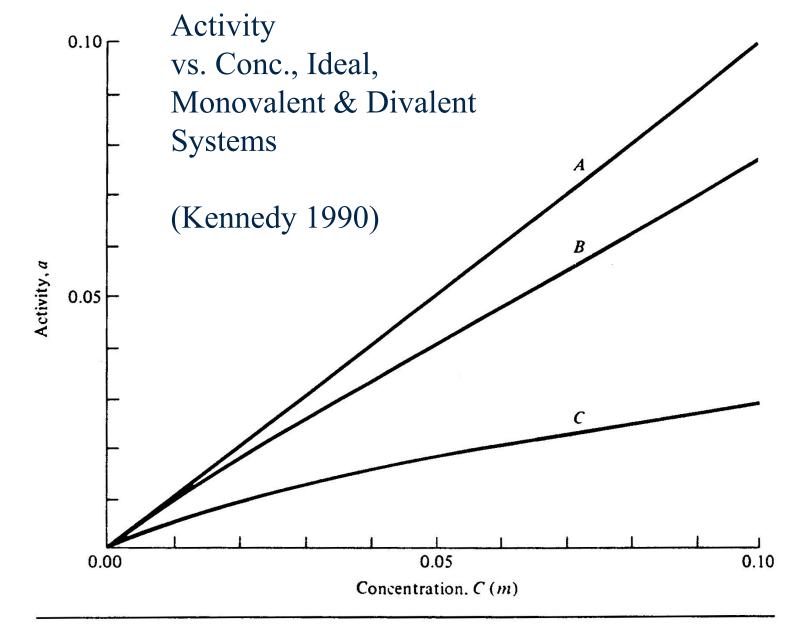


FIGURE 4-1 Activity as a function of concentration: (A) ideal solution for which a = C: (B) Na⁺ activity in NaCl; (C) Ca²⁺ activity in CaCl₂.

Putting It All Together

- **#** Calculate ionic strength from concentrations of all ions in solution using $I = 0.5 \Sigma Z^2 m$
- **#** Use Davies Equation to calculate activity coefficients for all ions of interest (Z = 1,2,3,4) $\ln \gamma \pm = -A Z^2 [I^{0.5}/(1 + I^{0.5}) - 0.2 I]$
- **#** Calculate activity of the ions of interest using their concentrations and activity coefficients $\mathbf{a} = [\mathbf{i}] \gamma$

Example: pH of SW

pH is defined as the negative logarithm of the hydrogen ion activity $pH = -log a_{H+}$

At a typical ionic strength of seawater I = 0.7From Davies Equation H⁺ activity coefficient $\ln \gamma = -A Z^2 [I^{0.5}/(1 + I^{0.5}) - 0.2 I]$ If Z = 1 & A = 1.17 then $\ln \gamma = -0.37 \& \gamma = 0.69$

Example: pH (cont.)

If a typical seawater pH is 8.2 Then H⁺ activity is 1 x 10^{-8.2} or 6.31 x 10⁻⁹ M From $\mathbf{a} = [\mathbf{i}]\gamma$ or $\mathbf{a}_{\mathrm{H^+}} = [\mathrm{H^+}]\gamma_{\mathrm{H^+}}$ & calculated $\gamma = 0.69$ $6.31 \times 10^{-9} \mathrm{M} = [\mathrm{H^+}] \times 0.69$ $[\mathrm{H^+}] = 9.14 \times 10^{-9} \mathrm{M}$

Activity of H⁺ is 31% lower than it's concentration Effectiveness of H⁺ is 31% lower due to crowding This phenomenon is greater for divalent ions 45